



## Multimedia Systems and Applications

### Auto-cut for web images

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Based on ACM Multimedia 2009 paper and poster by:  
Chen et al., Auto-cut for web images, in Proceedings of ACM Multimedia 2009, pp. 529-532, October 19 - 24, 2009



## Problem and Existing Approaches

### Problem:

- Interactive segmentation, whose task is to extract objects from an image using as little interaction as possible, is of great importance in many applications such as photo and movie editing.

### Approaches:

#### Boundary-based:

- requires the user to draw along the object boundary and then adjusts the curve to snap to the real boundary piecewise.

#### Region-based:

- requires the user to specify two small sets of pixels belonging to the foreground and the background.
- It is more convenient.



## Problem and Idea

### Problems:

- generate ROI cutout automatically for further processing such as image editing, classification and information retrieval.
- Traditional semi-supervised segmentation method requires strong prior knowledge of boundary label.

### Idea

- A global cost function is proposed to combine weak prior knowledge with pixel-level feature.
- Compute fuzzy matting components as building blocks to construct semantically meaningful mattes.
- Mattes are hierarchically clustered and ranked by central preference.



## Classical Semi-supervised image-cut model

### The classical semi-supervised learning framework:

$$f^* = \operatorname{argmin}_f \sum_{k=1}^n V(x_i, y_i, f) + \gamma_A \|f\|_K^2 + \gamma_I \|f\|_I^2$$

$V(x_i, y_i, f)$  : prior knowledge (such as labeled pixels);

$\|f\|_K^2$  : complexity of the classifier (smooth regulation);

$\|f\|_I^2$  : the intrinsic data distribution (color model).

- Intrinsic distribution of data explains the relationship between labels and data affinity.



## Intrinsic distribution of data

### Levin's color-linearity model:

- Assume in each local window  $w$ :

$$I_i = f_i F_i + (1 - f_i) B_i$$

$F_i$  and  $B_i$  are foreground and background colors.

$$f_i \approx a I_i + b, \forall i \in w$$

$$a = \frac{1}{F-B}, b = -\frac{B}{F-B}$$

$$\|f\|_I^2 = \sum_{j \in I} \left( \sum_{i \in w_i} (f_i - a_j x_j - b_j)^2 + \epsilon a_j^2 \right)$$

The first term reflects intrinsic distribution of pixel colors, while the second term is a regularization term that prefers smooth label in each local window.

### More details see:

A. Levin, Rav-Acha, and Lischinski. Spectral matting. IEEE Proceedings on Computer Vision and Pattern Recognition, 2007.



## Use of Prior Knowledge

- Levin's color linearity model is very efficient on many images, but it is vulnerable to textured background. Strong edges in background leads to over fractional segmentation.

### Use prior knowledge to overcome the problems in Levin's model:

- a salient prior to highlight the high contrast region;
- strokes labeled by users.

### Hypothesis of this paper:

- A "good" image taken by a skillful photographer tends to have its ROI near the center.
- statistics on about 5,000 web images from various sources such as Google and Flickr reveals that more than 82.2% images have their ROI located at least near the center.



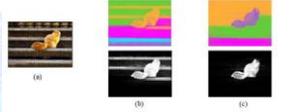


## A Weak prior on boundary labels

- assuming that the boundary pixels of an image are less likely to have too fluctuated labels. This rather weak prior reflects central preference.

$$V(x_i, y_i, f) = \sum_{j \in \partial I} \left( \sum_{i \in w_j} (f_i - \bar{a}_j x_j - \bar{b}_j)^2 + \epsilon \bar{a}_j^2 \right)$$

- Comparison:



- (c) is much better than (b).



## Cost Function Optimization

- Foreground/ background label cannot be computed directly because no user interaction is available.
- Minimize the quadratic cost function  $J(f) = f^T L f$  to get semantic components for further processing and integration, where  $L(i, j)$  is defined as:

$$\sum_{q(i,j) \in w_q} \left( \delta - \frac{1}{|w_q|} (1 + (I_i - \mu_q)^T (\Sigma_q + \frac{\epsilon}{|w_q|} I_3)^{-1} (I_i - \mu_q)) \right)$$

- Assume that the matting components desired lie in the space spanned by smallest eigenvectors:

$$E(v_1, v_2, \dots, v_m) \text{ of } L$$

- Compute a rotation matrix  $R$  so that  $ER$  is sparse:

$$\sum |f_i^k|^\gamma + |1 - f_i^k|^\gamma \quad \text{s.t.} \quad \sum f_k = 1$$

$$f_k = ER^k$$



## Block Integration

- Idea:

- hierarchically cluster semantic components to meaningful parts, and then we rank each of them.

- Hierarchical Grouping:

- use segmentation tree to hierarchically group matting components before labeling.
- On each level, nodes with very 'similar' statistical properties are combined together as a new component.
- regional statistics of color to compute the similarity of different components:

$$d(z_i, z_j) = \sum_k EMD_{l_1}(h_k(z_i), h_k(z_j))$$



## Block Integration (cont.)

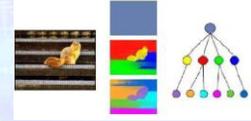
- Central preference ranking:

- Rank each component by the normalized central preference score:

$$H(z') = \frac{\sum_{i \in I} I(i \in z'_j) (1 - e^{-\frac{d_{ij}^2}{\sigma^2}})}{\sum_{i \in I} I(i \in z'_j)}$$

where  $\sigma$  reflects the degree of our central preference.

- In most images, the ROI tends to have much higher score than other areas.



## Experimental Results

- The results are quite satisfactory.



## Conclusion and Future Work

- A novel automatic segmentation algorithm has been proposed.

- Use central preference as the weak prior knowledge.

- Develop a 3-step segmentation procedure :

- compute semantically meaningful components through spectral clustering;
- group the oversegmented components based on their regional statistics;
- rank the segments by central preference.

- The nice performance on a large benchmark data.

- In the future, incorporate more information such as the face detector and saliency detector in ROI selection.

